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**Approximation methods for a common fixed point of a finite family of nonexpansive mappings**

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**Abstract**

Let  $K$  be a nonempty closed and convex subset of a real Banach space  $E$ . Let  $T: K \rightarrow K$  be a continuous pseudocontractive mapping and  $f: K \rightarrow K$  a contraction, both satisfying weakly inward condition. Then for  $t \in (0, 1)$ , there exists a sequence  $\{y_t\} \subset K$  satisfying the following condition:  $y_t = (1-t)f(y_t) + tT(y_t)$ . Suppose further that  $\{y_t\}$  is bounded or  $F(T)$  and  $E$  is a reflexive Banach space having weakly continuous duality mapping  $J$  for some gauge  $\phi$ . Then it is proved that  $\{y_t\}$  converges strongly to a fixed point of  $T$ , which is also a solution of certain variational inequality. Moreover, an explicit iteration process that converges strongly to a common fixed point of a finite family of nonexpansive mappings and hence to a solution of a certain variational inequality is constructed.

**Author Keywords**

Nonexpansive mappings; Pseudocontractive mappings; Weakly continuous duality maps; Weakly inward maps

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